

CNF from  $S \rightarrow aAD; A \rightarrow aB/bAB; B \rightarrow b, D \rightarrow d$ .

RGPV 2020

Find the grammar in Chomsky Normal form equivalent to  $S \rightarrow aAD; A \rightarrow aB/bAB; B \rightarrow b, D \rightarrow d$ .

Ans. A context free grammar (CFG) is said to be in chomsky normal form (CNF) if all its productions are of the form-

1.  $A \rightarrow BC$
2.  $A \rightarrow a$

where A, B, C are non-terminals and a is a terminal.

This CFG  $S \rightarrow aAD; A \rightarrow aB/bAB; B \rightarrow b, D \rightarrow d$ , can be written as

1.  $S \rightarrow aAD$ , Not in CNF
2.  $A \rightarrow aB$ , Not in CNF
3.  $A \rightarrow bAB$ , Not in CNF
4.  $B \rightarrow b$ , In CNF
5.  $D \rightarrow d$ , In CNF
6.  $E \rightarrow a$ , Generate new production, In CNF
7.  $F \rightarrow AD$ , Generate new production, In CNF
8.  $G \rightarrow AB$ , Generate new production, In CNF

Select 1 production:

$S \rightarrow aAD$

can be written as

$S \rightarrow EAD$ , ( $E \rightarrow a$ )

$S \rightarrow EF$ , ( $F \rightarrow AD$ )

Now its in CNF.

Select 2 production:

$A \rightarrow aB$

can be written as

$A \rightarrow EB, (E \rightarrow a)$

Now its in CNF.

Select 3 production:

$A \rightarrow bAB$

can be written as

$A \rightarrow BAB, (B \rightarrow b)$

$A \rightarrow BG, (G \rightarrow AB)$

Now its in CNF.

So, CNF of CFG given in question is:

$S \rightarrow EF$ , Not in CNF

$A \rightarrow EB$ , Not in CNF

$A \rightarrow BG$ , Not in CNF

$B \rightarrow b$ , In CNF

$D \rightarrow d$ , In CNF

$E \rightarrow a$ , Generate new production, In CNF

$F \rightarrow AD$ , Generate new production, In CNF

$G \rightarrow AB$ , Generate new production, In CNF

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