- 1. What is the primary difference between the Discrete Fourier Transform (DFT) and the Discrete Fourier Series (DFS)?
- a) DFT operates on discrete-time signals, while DFS operates on continuous-time signals.
- b) DFT is defined for periodic signals, while DFS is defined for aperiodic signals.
- c) DFT yields a finite sequence of frequency components, while DFS yields an infinite series of frequency components.
- d) DFT operates on finite-duration signals, while DFS operates on infinite-duration signals.

Answer: d) DFT operates on finite-duration signals, while DFS operates on infinite-duration signals.

Explanation: DFT is used for finite-duration signals, providing a finite sequence of frequency components, whereas DFS is applied to infinite-duration signals, yielding an infinite series of frequency components.

- 2. Which property of the Discrete Fourier Transform (DFT) allows for efficient computation using the Fast Fourier Transform (FFT) algorithm?
- a) Linearity
- b) Time-shift
- c) Periodicity
- d) Symmetry

Answer: c) Periodicity

Explanation: The periodicity property of the DFT allows for the efficient computation of the FFT algorithm, reducing the computational complexity from $O(N^2)$ to $O(N \log N)$, where N is the number of samples.

- 3. What is the consequence of zero-padding a signal before computing its Discrete Fourier Transform (DFT)?
- a) Increased frequency resolution
- b) Decreased frequency resolution
- c) Improved time-domain representation
- d) Reduced computational complexity

Answer: a) Increased frequency resolution

Explanation: Zero-padding a signal before computing its DFT increases the number of samples, resulting in finer frequency resolution in the frequency domain.

- 4. Which property of the Discrete Fourier Transform (DFT) makes it useful for circular convolution in signal processing?
- a) Linearity
- b) Periodicity
- c) Time-shift
- d) Symmetry

Answer: b) Periodicity

Explanation: The periodicity property of the DFT allows for efficient implementation of circular convolution, where the signals are assumed to be periodic and convolved accordingly.

- 5. In the context of Discrete Fourier Transform (DFT), what does the Nyquist frequency represent?
- a) The maximum frequency that can be represented without aliasing

- b) The minimum frequency that can be represented without aliasing
- c) The frequency at which the signal is sampled
- d) The half of the sampling frequency

Answer: d) The half of the sampling frequency

Explanation: The Nyquist frequency is half the sampling frequency and represents the maximum frequency that can be represented without aliasing in the sampled signal.

- 6. Which property of the Discrete Fourier Transform (DFT) states that convolution in the time domain corresponds to multiplication in the frequency domain?
- a) Linearity
- b) Convolution
- c) Periodicity
- d) Multiplication

Answer: b) Convolution

Explanation: The convolution property of the DFT states that convolution in the time domain corresponds to multiplication in the frequency domain, simplifying signal processing tasks such as filtering.

- 7. What effect does zero-padding have on the computational complexity of computing the Discrete Fourier Transform (DFT) using the FFT algorithm?
- a) Decreases computational complexity
- b) Increases computational complexity
- c) Has no effect on computational complexity
- d) Reduces memory usage

Answer: c) Has no effect on computational complexity

Explanation: Zero-padding does not affect the computational complexity of the FFT algorithm; it only increases frequency resolution without altering the computational complexity.

- 8. Which property of the Discrete Fourier Transform (DFT) allows for efficient implementation of the inverse DFT?
- a) Linearity
- b) Convolution
- c) Symmetry
- d) Periodicity

Answer: d) Periodicity

Explanation: The periodicity property of the DFT enables the efficient implementation of the inverse DFT, allowing for the reconstruction of the original time-domain signal from its frequency-domain representation.

- 9. What is the main limitation of using the Discrete Fourier Transform (DFT) for analyzing non-periodic signals?
- a) Limited frequency resolution
- b) Limited time resolution
- c) Difficulty in computation
- d) Aliasing

Answer: a) Limited frequency resolution

Explanation: The DFT assumes periodicity, making it less suitable for analyzing non-periodic

signals and resulting in limited frequency resolution for such signals.

- 10. Which property of the Discrete Fourier Transform (DFT) allows for efficient implementation of convolution in the frequency domain?
- a) Convolution
- b) Linearity
- c) Periodicity
- d) Multiplication

Answer: d) Multiplication

Explanation: The multiplication property of the DFT allows convolution in the time domain to be efficiently implemented as multiplication in the frequency domain, facilitating various signal processing operations.