

1. Which term describes a collection of random variables grouped together as a single entity?

- A) Cumulative distribution function
- B) Vector random variables
- C) Marginal distribution
- D) Central limit theorem

Answer: B) Vector random variables

Explanation: Vector random variables refer to a collection of random variables grouped together as a single entity, often represented as a vector.

---

2. What does the joint distribution function describe?

- A) The distribution of individual random variables
- B) The relationship between two random variables
- C) The probability distribution of a single random variable
- D) The distribution of multiple random variables simultaneously

Answer: D) The distribution of multiple random variables simultaneously

Explanation: The joint distribution function describes the probability distribution of multiple random variables considered together.

3. Which property does not apply to joint distribution functions?

- A) Symmetry
- B) Normalization
- C) Independence
- D) Monotonicity

Answer: D) Monotonicity

Explanation: Joint distribution functions need not exhibit monotonicity; however, they should satisfy symmetry, normalization, and independence properties under certain conditions.

---

4. What does the marginal distribution function represent?

- A) The distribution of variables at the extreme ends
- B) The distribution of variables considered individually
- C) The relationship between two random variables
- D) The conditional probability of one variable given another

Answer: B) The distribution of variables considered individually

Explanation: Marginal distribution functions represent the probabilities associated with

individual random variables, ignoring the other variables.

---

5. In the context of multiple random variables, what does statistical independence imply?

- A) The variables are identically distributed
- B) The variables are linearly related
- C) The variables have no influence on each other
- D) The variables have the same mean

Answer: C) The variables have no influence on each other

Explanation: Statistical independence between multiple random variables means that the occurrence or value of one variable does not affect the occurrence or value of another.

---

6. According to the Central Limit Theorem, what happens as the sample size increases?

- A) The sample mean approaches the population mean
- B) The sample variance decreases
- C) The distribution becomes skewed
- D) The standard deviation remains constant

Answer: A) The sample mean approaches the population mean

Explanation: The Central Limit Theorem states that as the sample size increases, the distribution of the sample mean approaches a normal distribution centered around the population mean.

---

7. When considering unequal distributions, what aspect differs among the random variables?

- A) Mean
- B) Variance
- C) Skewness
- D) Kurtosis

Answer: B) Variance

Explanation: Unequal distributions among random variables imply differences in their variances while their means may or may not differ.

---

8. What does the expected value of a function of random variables represent?

- A) The average value of the function
- B) The probability of the function occurring
- C) The maximum value of the function
- D) The minimum value of the function

Answer: A) The average value of the function

Explanation: The expected value of a function of random variables represents the average value that the function would take over all possible outcomes.

---

9. What are joint moments about the origin used to compute?

- A) Individual variable's moments
- B) Moments of the entire distribution
- C) Variance of the distribution
- D) Skewness of the distribution

Answer: B) Moments of the entire distribution

Explanation: Joint moments about the origin are used to compute moments of the entire distribution formed by multiple random variables.

---

10. What do joint characteristic functions describe?

- A) The relationship between two random variables
- B) The distribution of a single random variable
- C) The behavior of multiple random variables under linear transformations

D) The probability distribution of multiple random variables

Answer: D) The probability distribution of multiple random variables

Explanation: Joint characteristic functions describe the probability distribution of multiple random variables.

---

11. In the context of jointly Gaussian random variables, what property characterizes their distribution?

- A) Uniformity
- B) Normality
- C) Exponentiality
- D) Bimodality

Answer: B) Normality

Explanation: Jointly Gaussian random variables follow a multivariate normal distribution.

---

12. What transformations are considered for multiple random variables?

- A) Non-linear transformations

- B) Linear transformations
- C) Exponential transformations
- D) Logarithmic transformations

Answer: B) Linear transformations

Explanation: Linear transformations are often considered for multiple random variables, especially in the context of Gaussian distributions.

---

13. Which transformation is specifically considered for Gaussian random variables?

- A) Exponential transformations
- B) Logarithmic transformations
- C) Linear transformations
- D) Polynomial transformations

Answer: C) Linear transformations

Explanation: Linear transformations are particularly relevant for Gaussian random variables due to their preservation of Gaussianity under linear operations.

---

14. In the context of multiple random variables, what does the term “central moments” refer

to?

- A) Moments about the origin
- B) Moments about the mean
- C) Moments about the median
- D) Moments about the mode

Answer: B) Moments about the mean

Explanation: Central moments are moments about the mean of the distribution.

---

15. What property characterizes jointly Gaussian random variables in terms of their linear combinations?

- A) They follow a non-Gaussian distribution
- B) They exhibit non-linear relationships
- C) They preserve Gaussianity
- D) They become independent

Answer: C) They preserve Gaussianity

Explanation: Linear combinations of jointly Gaussian random variables preserve Gaussianity, meaning the resulting distribution remains Gaussian.



16. What term describes the distribution of the sum of two random variables?

- A) Convolution
- B) Transformation
- C) Integration
- D) Differentiation

Answer: A) Convolution

Explanation: The distribution of the sum of two random variables can be calculated using convolution.

---

17. What property characterizes equal distributions among random variables?

- A) Identical mean and variance
- B) Different mean and variance
- C) Identical skewness and kurtosis
- D) Different skewness and kurtosis

Answer: A) Identical mean and variance

Explanation: Equal distributions among random variables imply that they have the same

mean and variance.

---

18. Which distribution is commonly associated with jointly Gaussian random variables?

- A) Uniform distribution
- B) Exponential distribution
- C) Normal distribution
- D) Poisson distribution

Answer: C) Normal distribution

Explanation: Jointly Gaussian random variables follow a multivariate normal distribution.

---

19. What is the purpose of conditional distribution and density in interval conditioning?

- A) To find the mean of the distribution
- B) To calculate the variance of the distribution
- C) To determine probabilities within a specific range
- D) To assess the mode of the distribution

Answer: C) To determine probabilities within a specific range

Explanation: Conditional distribution and density in interval conditioning help determine probabilities within a specified range given certain conditions.

---

20. In what scenario would point conditioning be applicable?

- A) When the variables have continuous values
- B) When the variables have discrete values
- C) When the variables are independent
- D) When the variables are identically distributed

Answer: A) When the variables have continuous values

Explanation: Point conditioning is typically applicable when dealing with continuous random variables and involves conditioning on a specific value rather than a range.