Show that-

 $(P \cap Q)X(R \cap S) = (PXR) \cap (QXS)$ 

For some arbitrary sets P, Q, R and S

Consider(x,y)

 $(x,y) \in (P \cap Q)X(R \cap S)$ 

 $x \in (P \cap Q) \land y \in (R \cap S)$ 

 $(x \in P \text{ and } x \in Q) \land (y \in R \text{ and } y \in S)$ 

 $(x \in P \land y \in R)$  and  $(x \in Q \land y \in S)$ 

 $(x,y)\in (P \land R)$  and  $(x,y)\in Q \land S)$ 

 $(x,y) \in ((P \land R) \text{ and } (Q \land S))$ 

 $(x,y) \in ((P \times R) \cap (Q \times S))$ 

 $(PXR) \cap (QXS)$ 

## **Related Posts:**

- 1. SET
- 2. Mathematical induction
- 3. Relation
- 4. Net 34
- 5. prove that-  $AX(B \cap C) = (AXB) \cap (AXC)$
- 6. Prove that- An(BuC) = (AnB) u (AnC)
- 7. prove that -(AnB)X(CnD) = (AXC)n(BXD)
- 8. Binary operations
- 9. Algebraic structure
- 10. Group

- 11. Show that (..., -4, -3, -2, -1, 0, 1, 2, 3, 4,...} is group
- 12. Show that a\*b=b\*a
- 13. if a\*c = c\*a and b\*c = c\*b, then (a\*b)\*c = c\*(a\*b)
- 14. Undirected Graph and Incident Matrix
- 15. Prove the following by using the principle of mathematical induction for all  $n \in \mathbb{N}$ ,  $1^3 + 2^3 + 3^3 + ... + n^3 = [n (n + 1)/2]^2$
- 16. Prove that  $G = \{-1,1,i,-i\}$  is a group under multiplication.
- 17. Hasse diagram for the "less than or equal to" relation on the set  $S = \{0,1,2,3,4,5\}$